## Problem Maximum Prime Factor

| Input data | stdin |
| :--- | :--- |
| Output data | stdout |

Let $X$ be a strictly positive integer and $p$ be its maximum prime factor. For $X=1$, let $p=1$. We define two types of operations that can be done on $X$ :

Operation 1. $X$ is divided by $p$, thus becoming $X / p$.
Operation 2. $X$ is multiplied by a prime number $k$ such that $p \leq k$, thus becoming $X \cdot k$.
Given $Q$ pairs of strictly positive integers $(X, Y)$, determine for each pair the minimum number of operations of either type required to transform $X$ into $Y$.

## Input Data

The input consists of $Q+1$ lines. The first line contains the value of $Q$, representing the number of pairs $(X, Y)$. Each of the following $Q$ lines contains two space separated strictly positive integers $X Y$.

## Output Data

Output $Q$ lines, the $i$-th of which contains a single integer representing the minimum number of operations for the $i$-th pair.

## Restrictions

- $1 \leq Q \leq 1000000$
- $1 \leq X, Y \leq 4000000$
- This problem has individual test scoring. See the notice for more details.

| $\#$ | Points | Restrictions |
| :--- | :---: | :--- |
| 1 | 24 | $1 \leq X, Y, Q \leq 1000$ |
| 2 | 48 | $1 \leq X, Y \leq 100000$ |
| 3 | 28 | No further constraints. |

## Examples

| Input data |  | Output data |  |
| :--- | :--- | :--- | :--- |
| 4 | 2 |  |  |
| 4 | 10 | 3 |  |
| 2 | 9 | 1 |  |
| 6 | 2 | 0 |  |
| 12 | 12 |  |  |

## Explanations

For ( 4,10 ): 4 becomes 2 using an Operation 1, then becomes 10 using an Operation 2.
For (2, 9): 2 becomes 1 using an Operation 1, then 3 using an Operation 2, then 9 using an Operation 2.
For ( 6,2 ): 6 becomes 2 using Operation 1.
For $(12,12)$ : The numbers are equal, so no operation is required.

